

Operator Pruning using Lifted Mutex Groups via Compilation on Lifted Level

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Representations of Classical Planning Tasks

PDDL – lifted representation

- Types: (:types vehicle location)
- Objects: (:objects car1 car2 - vehicle A B C - location)
- Predicates: (at ?x - vehicle ?y - location)
- Action: (move ?v - vehicle ?f - location ?t - location)
- Initial state: ψ_I , Goal ψ_G

STRIPS – ground representation

- Facts: $\mathcal{F} = \{(\text{at car1 A}), (\text{at car1 B}), \dots\}$
- State: $s = \{(\text{at car1 A}), \dots\} \subseteq \mathcal{F}$
- Operators \mathcal{O} , $o = \langle \text{pre}(o) \subseteq \mathcal{F}, \text{add}(o) \subseteq \mathcal{F}, \text{del}(o) \subseteq \mathcal{F} \rangle$
- Initial state $I \subseteq \mathcal{F}$, Goal $G \subseteq \mathcal{F}$.

Mutex Groups in STRIPS

Mutex Group (in STRIPS)

A set of facts $M \subseteq \mathcal{F}$ is a **mutex group** if $|M \cap s| \leq 1$ for every reachable state s .

Fact-Alternating Mutex Group (in STRIPS)

A set of facts $M \subseteq \mathcal{F}$ is a **fam-group** if $|M \cap I| \leq 1$ and $|M \cap \text{add}(o)| \leq |M \cap \text{pre}(o) \cap \text{del}(o)|$ for every operator $o \in \mathcal{O}$.

Barman: Example fam-groups

- $\text{handempty}(\text{hand}_1), \text{holding}(\text{hand}_1, \text{shot}_1), \text{holding}(\text{hand}_1, \text{shaker}_1)$
- $\text{contains}(\text{shot}_1, \text{cocktail}_1), \text{clean}(\text{shot}_1), \text{used}(\text{shot}_1, \text{cocktail}_1), \text{used}(\text{shot}_1, \text{ingredient}_1), \text{used}(\text{shot}_1, \text{ingredient}_2)$

Pruning Unreachable Operators in STRIPS

Facts from a mutex group are pairwise mutex, i.e., they cannot appear together in any state.

Barman: Example Pruning of Unreachable Operators

Mutex group:

- $\text{handempty}(\text{hand}_1), \text{holding}(\text{hand}_1, \text{shot}_1), \text{holding}(\text{hand}_1, \text{shaker}_1)$

Operator $\text{fill-shot}(\text{shot}_1, i, \text{hand}_1, \text{hand}_1, d)$ o :

$\text{pre}(o) = \{\text{handempty}(\text{hand}_1), \text{holding}(\text{hand}_1, \text{shot}_1), \dots\}$

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Pruning Dead-End Operators in STRIPS

Fam-groups can detect dead-end operators: Let o be an operator, let M be a fam-group. If $M \cap G \neq \emptyset$ and $M \cap \text{pre}(o) \cap \text{del}(o) \neq \emptyset$ and $M \cap \text{add}(o) = \emptyset$, then o is a dead-end operator. (F & Komenda, 2018)

Barman: Example Pruning of Dead-End Operators

Fam-group M :

$\text{contains}(\text{shot}_1, \text{cocktail}_1), \text{clean}(\text{shot}_1), \text{used}(\text{shot}_1, \text{cocktail}_1), \dots$

Goal $G = \{\text{contains}(\text{shot}_1, \text{cocktail}_1)\}$.

Operator $\text{empty-shot}(\text{hand}_1, \text{shot}_1, \text{cocktail}_1)$ o :

$\text{pre}(o) = \{\text{holding}(\text{hand}_1, \text{shot}_1), \text{contains}(\text{shot}_1, \text{cocktail}_1)\}$

$\text{del}(o) = \{\text{contains}(\text{shot}_1, \text{cocktail}_1)\}$

$\text{add}(o) = \{\text{empty}(\text{shot}_1)\}$

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Barman: Example Pruning of Dead-End Operators

Fam-group M :

`contains(shot1, cocktail1)`, `clean(shot1)`, `used(shot1, cocktail1)`, ...

Goal $G = \{\text{contains}(\text{shot}_1, \text{cocktail}_1)\}$.

Operator `empty-shot(hand1, shot1, cocktail1)` o :

$\text{pre}(o) = \{\text{holding}(\text{hand}_1, \text{shot}_1), \text{contains}(\text{shot}_1, \text{cocktail}_1)\}$

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Lifted (Fact-Alternating) Mutex Groups

Lifted fam-group:

- $\text{handempty}(v : \text{hand}), \text{holding}(v : \text{hand}, c : \text{container})$
where v is **fixed** variable, c is **counted** variable.

Corresponding ground fam-groups:

- $\text{handempty}(\text{hand}_1), \text{holding}(\text{hand}_1, \text{shot}_1), \text{holding}(\text{hand}_1, \text{shaker}_1)$
- $\text{handempty}(\text{hand}_2), \text{holding}(\text{hand}_2, \text{shot}_1), \text{holding}(\text{hand}_2, \text{shaker}_1)$

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Pruning with Lifted Fam-Groups

Unifier

A **substitution** σ is a function mapping variables and objects to variables and objects so that (i) it acts as identity on objects, and (ii) mapping from variables must respect types.

Given a set of atoms A , a substitution σ is call a **unifier for** A if $\sigma(A)$ is a singleton.

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Pruning of Unreachable Operator

- fam-group: $\text{handempty}(v : \text{hand}), \text{holding}(v : \text{hand}, c : \text{conatiner})$
- Action: $\text{fill-shot}(s : \text{shot}, i : \text{ingredient}, \text{hand}_1, \text{hand}_1, d : \text{dispenser})$
 $\text{pre}(a) = \{\text{holding}(\text{hand}_1, s), \text{handempty}(\text{hand}_1), \dots\}$
- There is a unifier σ : $\sigma(v) = \text{hand}_1, \sigma(c) = s$ for both
 $\{\text{holding}(v, c), \text{holding}(\text{hand}_1, s)\}$ and
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Pruning of Unreachable Operator

- fam-group: `handempty(v : hand), holding(v : hand, c : conatiner)`
- Action: `fill-shot(s : shot, i : ingredient, $\mathbf{hand}_1, \mathbf{hand}_1, d$: dispenser)`
 $\text{pre}(a) = \{\text{holding}(\mathbf{hand}_1, s), \text{handempty}(\mathbf{hand}_1), \dots\}$
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Experimental Evaluation: Percentage of Pruned Operators

Percentage of Pruned Operators (IPC 2006–2018) (AAAI'20)

domain	#ps	unreach	+dead-end
agricola	20	0.00	0.00
barman*	74	15.42	45.95
citycar*	40	0.00	1.61
flashfill	18	0.10	0.10
floortile*	70	0.00	22.79
organic-synthesis*	7	11.44	23.11
parcprinter*	30	0.00	40.83
parking	80	3.09	3.09
scanalyzer	30	1.34	1.34
spider	15	3.47	3.47
trucks*	30	0.00	82.14
woodworking*	30	0.00	10.08
overall from above	444	3.52	21.52
overall	1247	1.25	7.66

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overall from above	444	3.52	21.52
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We need to modify the grounding algorithm.

Unifier as a Formula

Given a substitution σ and a set of variables $V \subset \mathcal{V}$, we define:

$$\Phi_{\sigma,V}^{\text{var}} = \bigwedge_{\{v,w\} \in X} (v = w), \quad (1)$$

where $X = \{\{v, w\} \subseteq V \mid v \neq w, \sigma v = \sigma w\}$;

$$\Phi_{\sigma,V}^{\text{var-obj}} = \bigwedge_{v \in Y} (v = \sigma v), \quad (2)$$

where $Y = \{v \in V \mid \sigma v \in \mathcal{B}\}$;

$$\Phi_{\sigma,V}^{\text{subtype}} = \bigwedge_{v \in Z} \left(\bigvee_{o \in \mathcal{D}(\tau_{\text{var}}(\sigma v))} (v = o) \right), \quad (3)$$

where $Z = \{v \in V \mid \sigma v \notin \mathcal{B}, \tau_{\text{var}}(\sigma v) \neq \tau_{\text{var}}(v)\}$; and

$$\Phi_{\sigma,V}^{\text{unifier}} = \Phi_{\sigma,V}^{\text{var}} \wedge \Phi_{\sigma,V}^{\text{var-obj}} \wedge \Phi_{\sigma,V}^{\text{subtype}}. \quad (4)$$

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$$\Phi_{\sigma,V}^{\text{unifier}} = \Phi_{\sigma,V}^{\text{var}} \wedge \Phi_{\sigma,V}^{\text{var-obj}} \wedge \Phi_{\sigma,V}^{\text{subtype}}. \quad (4)$$

Formula $\Phi_{\sigma,V}^{\text{unifier}}$ captures unifier σ perfectly.

Pruning via Compilation

Lifted fam-group:

$M = \text{handempty}(v : \text{hand}), \text{holding}(v : \text{hand}, c : \text{container})$

Action $\text{fill-shot}(s : \text{shot}, i : \text{ingredient}, h_1 : \text{hand}, h_2 : \text{hand}, d : \text{dispenser})$

$\text{pre}(o) = \{\text{handempty}(h_1), \text{holding}(h_2, s), \dots\}$

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$\text{pre}(o) = \{\text{handempty}(h_1), \text{holding}(h_2, s), \dots\}$

- Unifier $\sigma_1, \sigma_1(v) = \sigma_1(h_1) = x$, for $\{\text{handempty}(h_1), \text{handempty}(v)\}$

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- Unifier $\sigma_1, \sigma_1(v) = \sigma_1(h_1) = x$, for $\{\text{handempty}(h_1), \text{handempty}(v)\}$
- Unifier $\sigma_2, \sigma_2(x) = \sigma_2(h_2) = y, \sigma_2(c) = \sigma_2(s) = z$, for $\sigma_1\{\text{holding}(h_2, s), \text{holding}(v, c)\} = \{\text{holding}(h_2, s), \text{holding}(x, c)\}$

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- Therefore $\text{fill-shot}(s, i, h_1, h_2, d)$ is recognized as unreachable with M **if and only if** $\Phi_{\sigma_1, \{h_1\}}^{\text{unifier}} \wedge \Phi_{\sigma_2\sigma_1, \{h_2, s\}}^{\text{unifier}}$ is true.

Pruning via Compilation

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- Therefore $\text{fill-shot}(s, i, h_1, h_2, d)$ is recognized as unreachable with M if and only if $\Phi_{\sigma_1, \{h_1\}}^{\text{unifier}} \wedge \Phi_{\sigma_2\sigma_1, \{h_2, s\}}^{\text{unifier}}$ is true.
- Therefore, we can prune fill-shot by extending its preconditions with $\neg(\Phi_{\sigma_1, \{h_1\}}^{\text{unifier}} \wedge \Phi_{\sigma_2\sigma_1, \{h_2, s\}}^{\text{unifier}}) = (h_1 \neq h_2)$.

Pruning via Compilation

- The pruning power is exactly the same as before, but we do not need to modify the grounding algorithm.
- The pruning automatically carries to other methods, because it is directly encoded in the PDDL task. For example, successor generator for lifted planning.
- There is, however, a price to pay: The resulting formulas can incur an exponential blow-up when normalized to conjunctions.

Experimental Results

- un: unreachability, de: dead-ends
- 56 (HTG + Optimal and satisficing IPC) domains, 3 464 tasks
- 26 domains and 1 485 tasks affected by un
- 10 domains and 544 tasks affected by de

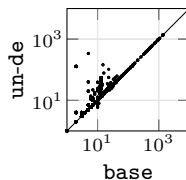
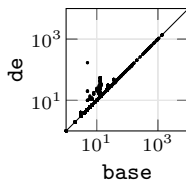
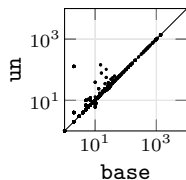


Figure: Number of normalized actions.

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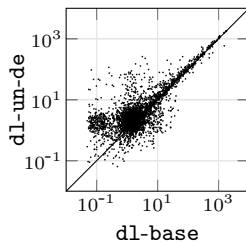


Figure: Translation time in seconds.

Experimental Results

domain	blind		hmax		hadd		lz-hadd	
	base	de	base	de	base	de	base	de
airport (50)	16	17	16	16	22	22	21	21
barman (74)	4	4	4	4	4	4	6	5
floortile (80)	2	10	2	2	14	14	13	16
parcprinter (70)	14	18	20	20	49	57	49	57
trucks (30)	2	5	3	4	8	9	9	11
woodworking (98)	12	13	0	0	0	0	0	0
others (142)	46	46	42	42	111	111	115	115
Σ (544)	96	113	87	88	208	217	213	225

Table: Number of solved tasks.

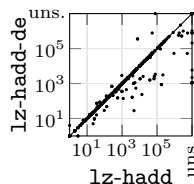
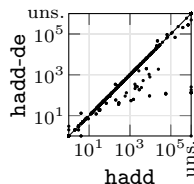
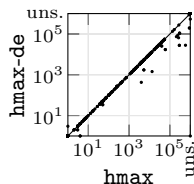


Figure: Number of dead-end states.

Experimental Results

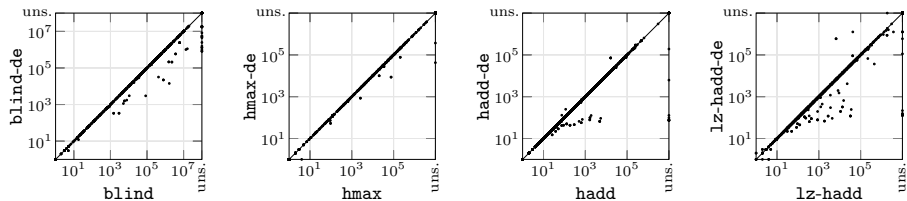


Figure: Number of expanded states (before the last f -layer for blind and hmax; all for hadd and lz-hadd).